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The clustering of galaxies in the SDSS-III Baryon Oscillation Spectroscopic Survey: the low-redshift sample

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ABSTRACT

We report on the small-scale ($0.5 < r < 40 h^{-1}$ Mpc) clustering of 78 895 massive ($M_* \sim 10^{11.3} M_\odot$) galaxies at $0.2 < z < 0.4$ from the first two years of data from the Baryon Oscillation Spectroscopic Survey (BOSS), to be released as part of Sloan Digital Sky Survey (SDSS) Data Release 9 (DR9). We describe the sample selection, basic properties of the galaxies and caveats for working with the data. We calculate the real- and redshift-space two-point correlation functions of these galaxies, fit these measurements using halo occupation distribution (HOD) modelling within dark matter cosmological simulations, and estimate the errors using mock catalogues. These galaxies lie in massive haloes, with a mean halo mass of

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$5.2 \times 10^{13} h^{-1} M_{\odot}$, a large-scale bias of ~ 2.0 and a satellite fraction of 12 ± 2 per cent. Thus, these galaxies occupy haloes with average masses in between those of the higher redshift BOSS CMASS sample and the original SDSS I/II luminous red galaxy sample.

Key words: large-scale structure of Universe – galaxies: haloes – galaxies: evolution – galaxies: statistics – surveys.

1 INTRODUCTION

The large-scale structure traced by galaxies is fundamentally dependent on the cosmology of the early Universe. Because of the growth of early perturbations due to gravitational attraction, massive dark matter haloes are more strongly clustered than less massive haloes. As massive galaxies preferentially live in massive haloes, we can use large surveys of massive galaxies to probe the evolution of dark matter haloes through cosmic time. Past galaxy redshift surveys such as the Two-Degree Field Galaxy Redshift Survey (Colless et al. 2003) and Sloan Digital Sky Survey (SDSS; York et al. 2000) I/II galaxy samples (Eisenstein et al. 2001; Strauss et al. 2002) provided large catalogues to constrain the properties of galaxies and their haloes in the relatively local Universe. The Baryon Oscillation Spectroscopic Survey (BOSS; Schlegel, White & Eisenstein 2009), part of the SDSS-III project (Eisenstein et al. 2011), includes populations of galaxies and quasars to probe the evolution of large-scale structure over cosmic time.

This paper presents the first measurements of the clustering of the low-redshift ($0.2 < z < 0.4$) BOSS galaxy sample. This study includes observations from 2010 June through 2011 June, and compares this sample with the high-redshift BOSS sample ($0.43 < z < 0.7$) that was analysed by White et al. (2011) and Anderson et al. (2012), as well as earlier SDSS I/II galaxy samples (Eisenstein et al. 2001; Zehavi et al. 2005a; Wake et al. 2008; Padmanabhan et al. 2009; Zheng et al. 2009; Tojeiro & Percival 2010) from a similar redshift range. The galaxy redshift information used in this analysis will be released as part of the Data Release 9 (DR9) public catalogue. BOSS will use these data and the CMASS galaxy sample (Anderson et al. 2012) to measure the baryon acoustic oscillation (BAO) signature in the correlation function and power spectrum to high precision across a range of redshifts. This information will provide precise constraints on cosmology that are nearly orthogonal to those provided by cosmic microwave background (e.g. Bennett et al. 2003; Komatsu et al. 2011) and supernova studies (e.g. Kowalski et al. 2008; Kessler et al. 2009; Sollerman et al. 2009; Amanullah et al. 2010; Lampeitl et al. 2010).

SDSS I/II had two galaxy samples: the main sample (Strauss et al. 2002), with a mean redshift $z \sim 0.1$, intended to broadly sample all classes of galaxies over a wide range of luminosity and colour, and the luminous red galaxy (LRG) sample (Eisenstein et al. 2001), with a mean redshift $z \sim 0.3$, intended to provide a large effective volume for large-scale structure studies. The LRG sample provided the first clear detection of the BAO feature in the galaxy correlation function and power spectrum (Eisenstein et al. 2005), motivating the design of BOSS. The BOSS galaxy samples were selected to produce a mostly sample variance limited measure of BAO to $z = 0.7$. BOSS thus includes a $z < 0.45$ sample (LOWZ) with higher number density than the SDSS I/II LRGs and a higher redshift sample (CMASS) of similar space density.

The primary goal of this paper is to characterize the LOWZ BOSS sample and compare it with other samples of massive, red galaxies at similar redshifts. We begin with a description of the galaxy sample, including selection criteria and caveats in Section 2. We describe

the overall clustering properties in Section 3.1, our halo occupation distribution (HOD) model in Section 3.2, our error derivation in Section 3.3 and our technique for fitting the correlation function in Section 3.4. As a test of our fitting procedure, we compare the resulting HOD models with the measured redshift-space clustering in Section 4. In Section 5 we compare the properties of this sample with a number of previous studies. Section 6 summarizes our results and some technical details of our HOD modelling appear in an appendix. For this work, we quote distances as comoving separations in h^{-1} Mpc and convert redshifts to distances assuming a flat Λ cold dark matter cosmology, with $\Omega_M = 0.274$.

2 THE SAMPLE

The SDSS (York et al. 2000) mapped over one-third of the sky using the dedicated 2.5-m Sloan Telescope (Gunn et al. 2006) located at Apache Point Observatory in New Mexico. A drift-scanning mosaic CCD camera (Gunn et al. 1998) imaged the sky in five photometric bandpasses (Fukugita et al. 1996; Smith et al. 2002; Doi et al. 2010) to a 5σ limiting magnitude of $r \simeq 22.5$. The imaging data were processed through a series of pipelines that perform astrometric calibration (Pier et al. 2003), photometric reduction (Lupton et al. 2001) and photometric calibration (Padmanabhan et al. 2008). The magnitudes were corrected for Galactic extinction using the maps of Schlegel, Finkbeiner & Davis (1998). BOSS, as part of the SDSS-III survey (Eisenstein et al. 2011), has imaged an additional 2400 deg^2 of the South Galactic sky in a manner identical to the original SDSS imaging.

BOSS targeted two galaxy samples (Padmanabhan et al., in preparation): CMASS, at $\bar{z} \sim 0.5$ and initially analysed in White et al. (2011), and LOWZ, at $\bar{z} \sim 0.3$, which is the focus of this study. This sample was selected as an extension of the SDSS I/II LRG (henceforth: Legacy) sample (Eisenstein et al. 2001), with three times its space density. The goal of both BOSS galaxy target selection methods is to identify luminous, highly biased galaxies, with a galaxy number density $\bar{N}(z) \sim 3 \times 10^{-4} h^3 \text{ Mpc}^{-3}$. These galaxies should represent the most strongly clustered galaxies at that space density and redshift range. While the CMASS sample was targeted to be an approximately mass-limited sample of galaxies with a range of colours (about 25 per cent are blue), LOWZ consists primarily of red galaxies. Up to ~ 30 per cent of LOWZ targets were observed during the Legacy survey, and thus already have a redshift. This reduces the number of new redshifts required, but slightly complicates the analysis, as the completeness must be handled differently for Legacy and new BOSS redshifts. The Legacy redshifts do not impact the uniformity of the targeting in a given region, as they were ignored when assigning fibres to targets (see the discussion about completeness in Section 3.1).

When defining colours, we use the SDSS model magnitudes which were computed using either an exponential (Freeman 1970) or a de Vaucouleurs (de Vaucouleurs 1948) light profile fit to the r -band only, and are denoted with the mod subscript. Composite model magnitudes are computed using the best-fitting linear combination of an exponential and a de Vaucouleurs light profile fit

to each photometric band independently, and are denoted with the subscript *cmod*. Point spread function (PSF) magnitudes are computed by fitting a PSF model to the galaxy, and are denoted with the subscript *psf*.

The LOWZ galaxy target selection algorithm is a straightforward extension of the method of Eisenstein et al. (2001) to fainter magnitudes to increase the number density. We define two parameters based on the *ugriz* model magnitudes:

$$c_{\parallel} = 0.7(g_{\text{mod}} - r_{\text{mod}}) + 1.2(r_{\text{mod}} - i_{\text{mod}} - 0.18), \quad (1)$$

$$c_{\perp} = (r_{\text{mod}} - i_{\text{mod}}) - (g_{\text{mod}} - r_{\text{mod}})/4.0 - 0.18. \quad (2)$$

We target galaxies that are luminous and red with a redshift $z \lesssim 0.4$ with the following cuts:

$$r_{\text{cmod}} < 13.5 + c_{\parallel}/0.3, \quad (3)$$

$$|c_{\perp}| < 0.2, \quad (4)$$

$$16 < r < 19.6, \quad (5)$$

$$r_{\text{psf}} - r_{\text{cmod}} > 0.3. \quad (6)$$

This selection follows the colour tracks of a passively evolving stellar population (equation 2), and selects an approximately absolute magnitude limited sample (equation 3) with a sliding cut in colour and luminosity. Equation (6) is the primary star/galaxy separation, based on the difference between a modelled galaxy light profile and a PSF profile. Note that this is different from the LOWZ target selection algorithm used during the first nine months of BOSS (roughly, data taken through 2010 June), which was affected by a change due to a bug in the star–galaxy separation. The earlier data have a lower on-sky density and cannot be corrected to reflect the new targeting, as was done in White et al. (2011) and Anderson et al. (2012) for CMASS. Because of this issue, we restrict ourselves to regions that were tiled for spectroscopy with the corrected target selection, via

TILE ≥ 10324 .

Plates outside this range were drilled with the earlier target selection and star/galaxy separation algorithm. We recommend that users of this sample who wish to perform large-scale structure analyses on the LOWZ sample apply the same cuts on the catalogue data to remove the early data with a different selection.

We define ‘good’ redshifts as follows, where ‘&&’ is the bitwise *and* operator. For new BOSS observations, we require

- (i) (BOSS_TARGET1 && 2⁰) > 0,
- (ii) SPECPRIMARY == 1,
- (iii) ZWARNING_NOQSO == 0,

while for SDSS Legacy observations we require

- (i) SPECPRIMARY == 1,
- (ii) ZWARNING == 0.

These parameters are part of the SDSS DR9 catalogue: BOSS_TARGET1 is a bitmask containing the target selection flags, SPECPRIMARY identifies the best spectrum among multiple observations, and ZWARNING_NOQSO and ZWARNING are bitmasks listing potential problems with the redshift fit, with a value of 0 representing no obvious problems. We do not require that the spectrum is identified as a galaxy spectrum, i.e. if an object passed the targeting cuts, and the spectrum satisfied the above requirements, a non-galaxy spectrum (e.g. strong emission lines, quasars) would be included in the sample.

In Fig. 1 we show the absolute *r*-band rest-frame magnitude, stellar mass and $g - r$ rest-frame colour distributions of this sample, ($K + e$)-corrected to $z = 0$, using values from Maraston et al. (2012). The stellar masses were calculated assuming a Kroupa (2001) initial mass function, including stellar mass loss due to stellar evolution. We also plot distributions for the CMASS sample and split the LOWZ sample into Legacy and new BOSS objects to show the difference between SDSS I/II targets and new BOSS targets. LOWZ galaxies are typically half a magnitude fainter than CMASS galaxies, but CMASS contains more blue galaxies. LOWZ galaxies which were observed as part of SDSS I/II are typically brighter and have ~ 0.4 dex higher stellar masses, which is to be expected given the brighter magnitude selection imposed as part of that survey.

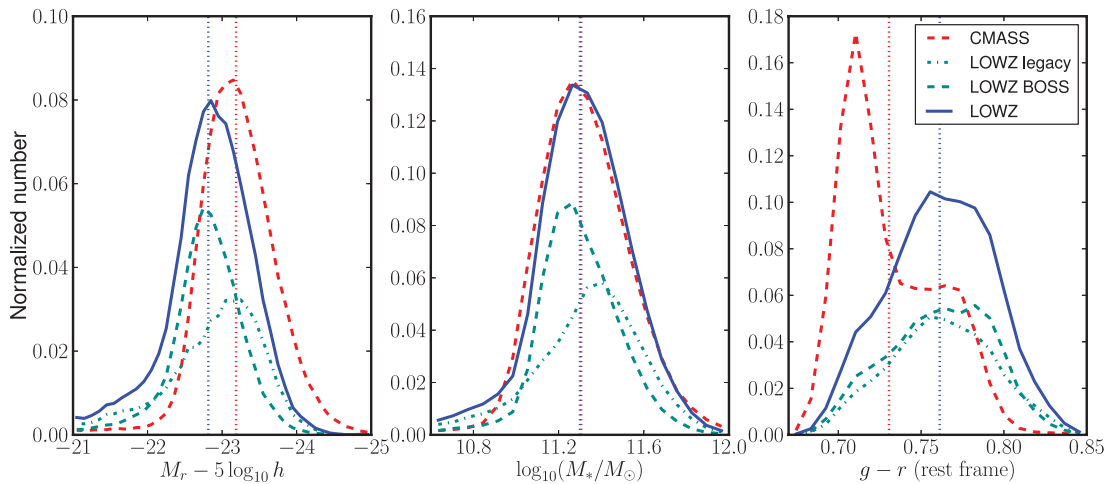


Figure 1. All panels: LOWZ (solid blue), split into SDSS I/II LRGs (Legacy, dot-dashed cyan) and new BOSS (dashed cyan) galaxies, and CMASS (dashed red). Vertical dotted lines show the mean values for LOWZ and CMASS. All values taken from Maraston et al. (2012) using LRG models from Maraston et al. (2009). Left-hand panel: absolute *r*-band rest-frame magnitudes. These magnitudes are ($K + e$)-corrected to $z = 0$, including corrections for passive evolution. CMASS galaxies and LOWZ galaxies with redshifts from Legacy are more luminous, in general, than the new LOWZ BOSS galaxies. Center panel: stellar mass in $\log_{10}(M_*/M_{\odot})$. BOSS galaxies with Legacy redshifts have higher masses, on average, than those with new BOSS redshifts. Right panel: ($K + e$)-corrected rest frame $g - r$ colours. CMASS contains bluer galaxies than LOWZ, while the colours of Legacy and new BOSS galaxies are very similar.

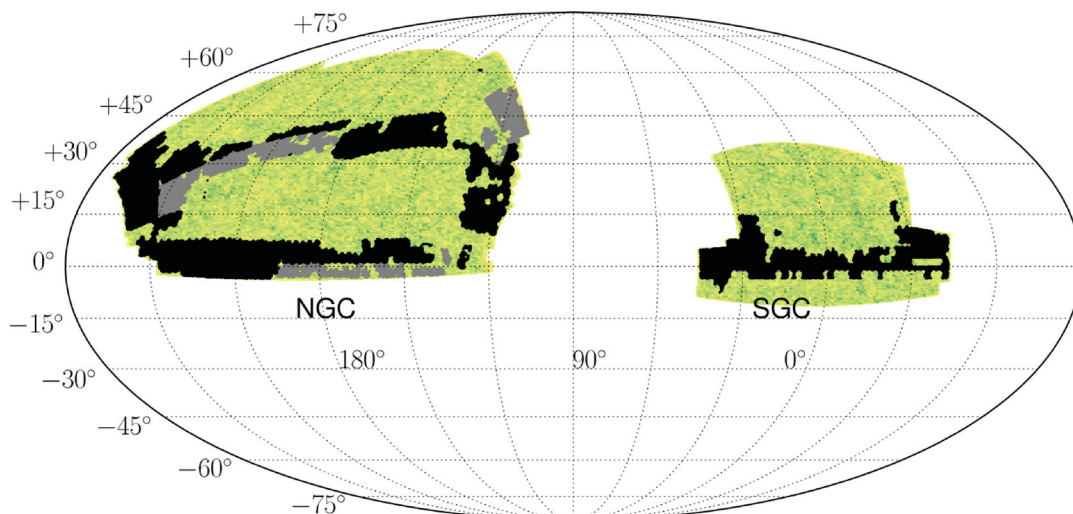


Figure 2. The on-sky distribution (equatorial coordinates) of our sample, with the North and South Galactic Caps (NGC and SGC, respectively) labelled for reference. The black regions show the data used in the current study, while the light grey areas are the regions that had to be dropped because of the change in target selection. The background yellow/green colour field shows the on-sky density of LOWZ targets in the full BOSS target area, representing the total area that will be covered when the survey is completed in 2014.

LOWZ galaxies have very similar colours to Legacy galaxies, and are typically redder than CMASS galaxies.

Fig. 2 displays the on-sky distribution of the current sample. As noted above, because of changes in target selection we are not able to use roughly the first year's worth of data. This reduces the total sky coverage compared with the DR9 CMASS sample of Anderson et al. (2012) by 1205 deg^2 (0.367 sr), and removes a large part of the area studied in White et al. (2011). The area with good LOWZ data shown covers 2467 deg^2 (0.7517 sr) on the sky.

We consider data from the North Galactic Cap (NGC) and South Galactic Cap (SGC) separately in our analysis for a number of reasons. We lack a dark matter simulation that resolves the host haloes of BOSS galaxies and is large enough to fit the NGC and SGC in a single simulation box. The SGC has a ~ 8 per cent higher target density than the NGC, and thus a higher galaxy number density, mostly due to differences in photometric calibration and reddening correction between the hemispheres. Schlafly et al. (2010) and Schlafly & Finkbeiner (2011) found a difference in the SDSS colours between the NGC and SGC, resulting in a 0.015 mag offset in c_{\parallel} (equations 1 and 3). The 'ubercal' SDSS photometry (Padmanabhan et al. 2008) uses overlapping regions of images to cross-calibrate the photometric measurements. As the NGC and SGC are not contiguous they are less well cross-calibrated than they are internally calibrated. This produces some of the measured colour difference between the NGC and SGC. Schlafly & Finkbeiner (2011) also identified a slight systematic error in the reddening correction that was applied before targeting. Ross et al. (2011) describe the use of the Schlafly & Finkbeiner (2011) colour offsets, determined from stellar spectra, to correct for the north/south asymmetry. They find that the NGC/SGC CMASS and LOWZ number density differences are completely consistent with the level of colour offset found by Schlafly & Finkbeiner (2011), but note the inherent uncertainties in the offsets and resulting corrections. They also find that these, and other, systematics more strongly affect the CMASS sample than the LOWZ sample, and are most important for clustering studies on the largest scales. As we will show, the resulting two LOWZ galaxy populations are not significantly different in their clustering properties (see results in Sections 3.2, 4 and 5). We provide values for

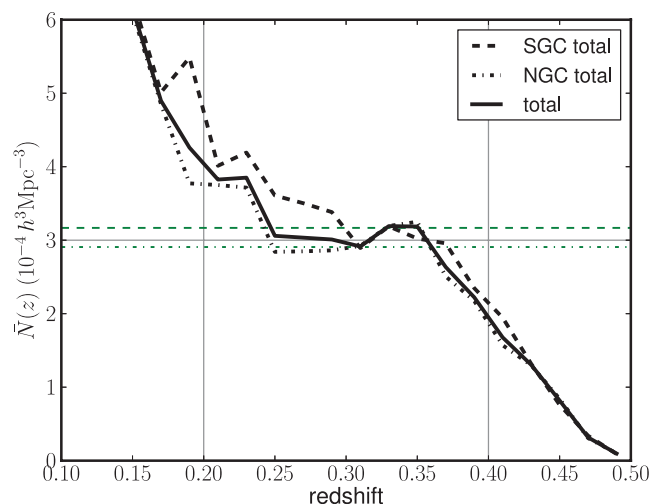


Figure 3. The redshift distribution of the BOSS LOWZ sample. The SGC and NGC are plotted separately as dashed and dash-dotted lines, respectively; showing the higher number density in the SGC. The solid black line gives the total $\bar{N}(z)$ distribution for SGC+NGC. Our redshift range of $0.2 < z < 0.4$ is marked with thin vertical lines. The original survey galaxy density goal of $\bar{N}(z) = 3 \times 10^{-4} h^3 \text{ Mpc}^{-3}$ is shown for reference (thin horizontal line), while the green horizontal lines show the NGC and SGC effective mean density over the $0.2 < z < 0.4$ range (values given in Table 1).

the NGC and SGC separately, and also provide minimum-variance-weighted values for NGC+SGC (hereafter Full) when appropriate.

Fig. 3 presents the galaxy number density of our samples as a function of redshift. The vertical lines denote the redshift range used in this work ($0.2 < z < 0.4$). We restrict to this range as it provides a relatively uniform number density across the redshift interval, and to distinguish it from the CMASS sample studied by White et al. (2011), which was restricted to $0.4 < z < 0.7$. The dramatic increase in the number density below $z \sim 0.2$ is due in part to more than just massive red galaxies falling into the target selection. Additionally, Tojeiro & Percival (2011) and Tojeiro et al. (2012) found that SDSS II LRGs below $z \lesssim 0.2$ had different

Table 1. Statistics of the $0.2 < z < 0.4$ galaxy sample.

Region	N_{galaxy}	$\bar{N}(z) (10^{-4} h^3 \text{ Mpc}^{-3})$
SGC (Legacy)	3946	1.502
SGC (BOSS)	19 558	2.681
SGC (Legacy+BOSS)	23 504	3.167*
NGC (Legacy)	18 332	0.990
NGC (BOSS)	37 059	2.005
NGC (Legacy+BOSS)	55 391	2.907*
Full (Legacy)	22 278	1.053
Full (BOSS)	56 617	2.198
Full (Legacy+BOSS)	78 895	2.981

*The $\bar{N}(z)$ values marked with an asterisk are used in the MCMC fitting procedure.

dynamical growth than LRGs at higher redshifts. A more in-depth study of the uniformity and completeness of the full LOWZ sample is in progress. The difference between the NGC (dash-dotted lines) and SGC (dashed lines) number density is clearly visible in the plot. We present some basic statistics of our sample in Table 1, including separate values for the SGC, NGC and Full NGC+SGC, and Legacy, BOSS and Legacy+BOSS redshift samples. One can see the significantly larger number of new BOSS redshifts compared to Legacy in the SGC, as SDSS I/II only observed three stripes in that region covering about 700 deg^2 , compared with 3100 deg^2 of imaging available to BOSS (Aihara et al. 2011). The BOSS redshift densities in the two hemispheres should not be directly compared, because of the different number of Legacy redshifts in the NGC versus SGC.

3 REAL-SPACE CLUSTERING

3.1 Measurements

The correlation function $\xi(r)$ (Peebles 1980) measures the excess probability of finding a galaxy in a volume element, dV , at separation r from a randomly selected galaxy,

$$dP(r) = N_G(1 + \xi(r)) dV, \quad (7)$$

where N_G is the mean galaxy number density. We use the estimator of Landy & Szalay (1993),

$$\xi(r) = \frac{DD - 2DR + RR}{RR}. \quad (8)$$

Compared to the ‘natural’ estimator $DD/RR - 1$, the Landy and Szalay estimator reduces geometrical edge effects and minimizes variance.

We use this estimator to calculate a two-point galaxy correlation function of pair separations parallel (r_{\parallel}) and perpendicular (r_{\perp}) to the line of sight, $\xi(r_{\parallel}, r_{\perp})$. We then compute the projected correlation function, $\omega_p(r_{\perp})$, which reduces the effect of redshift-space distortions, by integrating

$$\omega_p(r_{\perp}) = 2 \int_0^{r_{\parallel, \text{max}}} \xi(r_{\parallel}, r_{\perp}) dr_{\parallel}, \quad (9)$$

where we take $r_{\parallel, \text{max}} = 75 h^{-1} \text{ Mpc}$ as the upper limit of the integral. The integral is stable around this value, while not contributing noise from large r_{\parallel} bins. The relationship between the projected

correlation function, $\omega_p(r_{\perp})$, and the real-space correlation function is (e.g. Davis & Peebles 1983)

$$\omega_p(r_{\perp}) = 2 \int_0^{y_{\text{max}}} \xi \left[\left(r_{\perp}^2 + y^2 \right)^{1/2} \right] dy, \quad (10)$$

which is used in our full-box mock simulations to more quickly compute $\omega_p(r_{\perp})$ (see Section 3.2). We again integrate to $y_{\text{max}} = 75 h^{-1} \text{ Mpc}$ as a balance between including most of the information from the correlation function, and limiting noise from large radius bins. We tested and confirmed that this integral produces almost identical results to the integral over the correlation function in equation (9), as long as $\xi(r)$ is measured in small enough bins to allow for smooth interpolation.

Not all galaxy targets in each region on the sky were assigned spectroscopic fibres. Specifically, the completeness of the survey varies between the different regions defined by *sectors* which consist of disjoint regions defined by the overlap of spectroscopic tiles. In addition, as mentioned above, some of our targets come ‘pre-observed’, i.e. with redshifts from SDSS I/II. We thus separate galaxies into two groups and calculate their completeness, fgot , on a per-sector basis as

$$\begin{aligned} \text{fgot}_{\text{BOSS}} &= N_{\text{BOSS}} / (N_{\text{targets}} - N_{\text{Legacy}}), \\ \text{fgot}_{\text{Legacy}} &= 1, \end{aligned} \quad (11)$$

where N_{BOSS} is the number of new, not confirmed as star, BOSS redshifts, N_{targets} is the number of LOWZ targets and N_{Legacy} is the number of previously acquired Legacy redshifts that were targeted per the algorithm described above. For Legacy redshifts the completeness is defined to be 1, as they can be considered a separate, fixed, sample whose redshifts are pre-determined. Known Legacy redshifts were excluded during targeting, so they do not affect whether any BOSS targets were allocated a fibre. If $N_{\text{targets}} - N_{\text{Legacy}} = 0$, the sector is assigned a completeness of 1, as all of the targets have Legacy redshifts, and no new BOSS redshifts were required.

When computing the correlation function, we weight galaxies by fgot^{-1} (see equation 11), restricted to only those galaxies which lie in sectors with $\text{fgot} > 0.5$. For calculating the correlation function, we generate random points uniformly in all regions with $\text{fgot} > 0.5$, and assign all randoms a weight of 1. We generate 100 times the number of data points for our random catalogue as we have observations, ensuring that the variance of the results is not affected by the random catalogue. We assign redshifts to the randoms by smoothing the NGC and SGC redshift distributions with a seventh-order Chebyshev polynomial and drawing from each of the resulting distributions separately for the NGC and SGC random catalogues, respectively.

To correct for fibre collisions, we use the nearest neighbour redshift method (Zehavi et al. 2002, 2005a; Berlind et al. 2006). To each galaxy within a ‘collision group’ that does not have a good redshift, we assign the redshift of the nearest galaxy within 62 arcsec. Although this method is known to overcorrect below the fibre-collision radius (62 arcsec for BOSS, corresponding to $0.235 h^{-1} \text{ Mpc}$ at the highest redshift in our sample), it is a nearly exact correction at radii larger than twice the fibre-collision radius. Guo, Zehavi & Zheng (2012) demonstrated a more exact method for corrections below the fibre-collision radius, but their method reduces the number of points included in the correlation function calculation, and thus increases the variance of the measurement. As the smallest radius bin we consider is well above the fibre-collision radius, and the results of Guo et al. (2012) show close correspondence between their new

method and the nearest neighbour method for large radii, we will adopt the simpler method in this work.

We show the correlation function contours in $(r_{\parallel}, r_{\perp})$ in Fig. 4, alongside the mock catalogue 2D correlation function for comparison. The mocks show similar redshift-space distortions to the data, with Fingers of God (Jackson 1972) and large-scale squashing due to the Kaiser effect (Kaiser 1987) clearly evident. Our procedure for generating the redshift-space mock catalogues is described in Sec-

tion 3.3. Following equation (9), we integrate this 2D correlation function to get the projected correlation function, $w_p(r_{\perp})$, shown in Fig. 5. The errors are estimated from our mock catalogues (see Section 3.2), shifted on to the sky and masked with the coverage map. As noted in Section 2, we present the NGC and SGC separately in the left-hand panel, and the minimum-variance-weighted Full NGC+SGC in the right-hand panel. It is clear from the figure that over the scales considered in this paper, the clustering of the

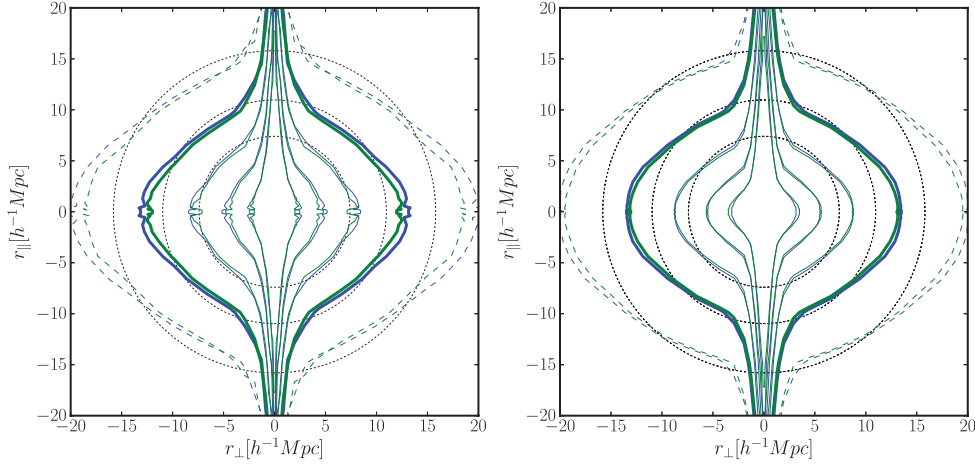


Figure 4. Left-hand panel: contours of the correlation function $\xi(r_{\perp}, r_{\parallel})$ (smoothed with a Gaussian kernel of radius $0.5 h^{-1}$ Mpc for clarity) of the components parallel (r_{\parallel}) and perpendicular (r_{\perp}) to the line of sight, for BOSS LOWZ galaxies with redshifts in the range of $0.2 < z < 0.4$. In both plots the blue lines show results for NGC data and green lines show results for SGC data. Solid contours are shown at $\xi = (1, 2, 4, 8)$, dashed contours at $\xi = (0.5)$ and a thicker solid line is shown for $\xi = 1$. Thin black dotted circles are plotted for $\xi(r) = (2, 1, 0.5)$ for reference. Right-hand panel: the same, but for our mock galaxy catalogue (Section 3.3). Note that similar features (e.g. Finger of God) are present in the mocks. In both panels, the discontinuity at $r_{\parallel} = 0$ is due to small number fluctuations in the smallest bins.

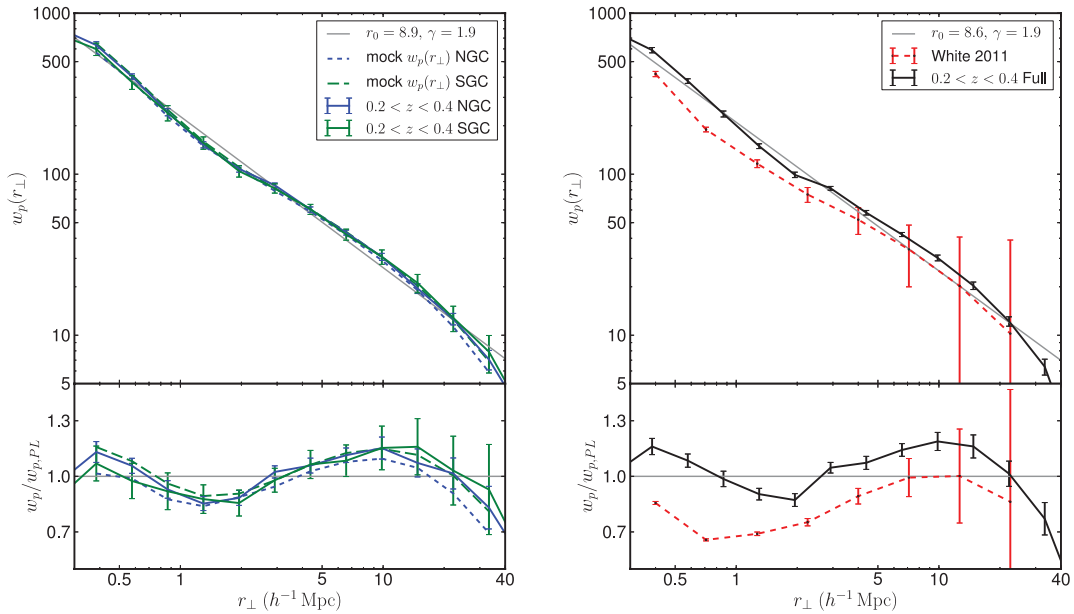


Figure 5. Left: NGC and SGC, data and mocks. Right: NGC+SGC Full sample. In each plot, the upper panel shows the projected correlation function for BOSS LOWZ galaxies with redshifts in the range of $0.2 < z < 0.4$. Dashed lines show the mean (not the single best-fitting model) mock correlation functions from our MCMC fitting procedure. Errors are computed from the square root of the diagonal of our covariance matrix, generated using the mean HOD parameters. The thin line shows a simple best-fitting power law, $\xi_{PL} = (\frac{r}{r_0})^{-\gamma}$, transformed to $w_{p,PL}(r_{\perp})$ using equation (10), to guide the eye. Also plotted on the right is the mean CMASS correlation function from White et al. (2011) for comparison. The lower panels show the same curves as above, but with each curve divided by the power-law fit to emphasize the differences between the various correlation functions, and to show that a pure power-law fit is not appropriate for these data. The NGC and SGC correlation functions match within the errors. The correlation functions clearly display the inflection at $1 - 2 h^{-1}$ Mpc that marks the transition between the one-halo and two-halo regimes (Zehavi et al. 2004).

Table 2. The projected correlation function, $w_p(r_\perp)$, in 12 equally spaced bins in $\log_{1.5}(r_\perp)$.

r_\perp	0.385	0.577	0.865	1.299	1.945	2.921	4.381	6.572	9.858	14.78	22.18	33.27
Full $w_p(r_\perp)$	619.29	390.51	242.17	153.87	106.83	84.18	60.42	43.19	30.70	19.83	12.66	7.22
Full σ	27.20	18.80	9.51	5.60	4.60	3.17	2.30	1.76	1.69	1.36	0.85	0.87
NGC $w_p(r_\perp)$	632.95	404.09	242.84	152.32	107.88	85.42	60.33	43.41	30.70	19.52	12.63	7.07
SGC $w_p(r_\perp)$	598.26	372.80	240.20	156.64	104.49	81.68	60.67	42.25	30.72	21.11	12.83	7.90
NGC σ	31.49	15.53	12.40	6.735	4.888	2.746	2.292	1.527	1.584	1.376	1.042	0.9794
SGC σ	52.58	36.36	25.99	13.78	8.555	5.376	4.354	3.322	3.138	2.755	2.309	2.070
0.385	1	0.5380	0.5110	0.4830	0.2790	0.2380	0.3510	0.3610	0.4470	0.3110	0.2710	0.2040
0.577	–	1	0.5150	0.4910	0.3680	0.4150	0.4730	0.3860	0.2860	0.2860	0.2470	0.2990
0.865	–	–	1	0.7090	0.6460	0.4640	0.3520	0.3910	0.3420	0.3250	0.1880	0.1430
1.299	–	–	–	1	0.6150	0.5100	0.4710	0.5010	0.5690	0.4310	0.2470	0.0740
1.945	–	–	–	–	1	0.6180	0.6120	0.6850	0.5140	0.4520	0.4120	0.2920
2.921	–	–	–	–	–	1	0.6570	0.5130	0.4550	0.3870	0.2620	0.1710
4.381	–	–	–	–	–	–	1	0.7850	0.7230	0.6470	0.5540	0.3980
6.572	–	–	–	–	–	–	–	1	0.7550	0.6200	0.4710	0.2550
9.858	–	–	–	–	–	–	–	–	1	0.8300	0.5600	0.2640
14.78	–	–	–	–	–	–	–	–	–	1	0.7980	0.5350
22.18	–	–	–	–	–	–	–	–	–	–	1	0.8750
33.27	–	–	–	–	–	–	–	–	–	–	–	1

All bin values are in h^{-1} Mpc, at the volume-weighted bin centre: $[(r_{\text{top}}^3 + r_{\text{bottom}}^3)/2]^{1/3}$. The lower part of the table lists the upper triangle of the covariance matrix as $C_{ij}/(\sigma_i\sigma_j)$.

NGC and SGC is the same within the errors, differing by less than 1σ . The CMASS errors from White et al. (2011) on large scales are significantly larger than ours, because that analysis was performed on a much smaller data set (580 deg^2 , or roughly 30 per cent the solid angle). The large-scale errors are determined primarily by the volume of the survey, so our increased volume improves on those errors. In addition, the geometry of the White et al. (2011) sample naturally splits into three disjoint regions, A, B and C, reducing the number of large-scale pairs.

We provide the correlation function and error estimates in Table 2 for the NGC, SGC and Full NGC+SGC samples. The values for the Full sample are computed from a minimum-variance-weighted combination of the NGC and SGC. The bins shown are those used during the fitting procedure described below. In the same table, we show the covariance matrix for the Full NGC+SGC data set. The galaxy and random catalogues used in this analysis are available on the SDSS-III website.¹

3.2 Halo occupation distribution

We estimate the errors in the sample and determine the dark matter halo statistics using 20 dark matter simulations. These are the same simulations used in the CMASS analysis of White et al. (2011), with 1500^3 particles of mass $7.6 \times 10^{10} h^{-1} M_\odot$ in a periodic cube $1500 h^{-1}$ Mpc on a side. All 20 simulations have the same cosmological parameters: $\Omega_M = 0.274$, $\Omega_\Lambda = 0.726$, $w = -1.00$, $\Omega_b = 0.0457$, $h = 0.70$, $n = 0.95$ and $\sigma_8 = 0.8$, the same as the parameters given in the introduction for our redshift to distance conversion. We identify dark matter haloes using a friends-of-friends (FoF) algorithm (Davis et al. 1985), with a linking length of 0.168. This results in a minimum resolved halo mass for our redshift slice ($z = 0.30$) of $10^{11.88} h^{-1} M_\odot$. For more details on these simulations, see the appendix of White et al. (2011). Note that we are

not fitting cosmological parameters, and our CMASS comparison is straightforward because the assumed cosmologies are exactly the same.

We do not have a single cosmological simulation with a sufficiently large volume and a high enough number density to embed the NGC and SGC in the same box, but our simulations are large enough if the NGC and SGC are considered separately. We can safely ignore correlations between the NGC and SGC in this analysis, as the shortest distance between an NGC and an SGC galaxy is 53° – corresponding to $>600 h^{-1}$ Mpc at the sample's minimum redshift – while this paper only considers separations below $40 h^{-1}$ Mpc. Our technique of fitting each separate region into our simulation cubes to generate mock galaxy catalogues for error estimation is discussed in Section 3.3.

For an accurate interpretation of galaxy clustering, we use the HOD formulation (Benson et al. 2000; Peacock & Smith 2000; Seljak 2000; Scoccimarro et al. 2001; White, Hernquist & Springel 2001; Berlind & Weinberg 2002). The HOD gives the conditional probability that a halo with virialized mass M_{halo} contains N galaxies of a particular class. In this paper, we distinguish central and satellite galaxies, and we require that haloes with a satellite must have a central galaxy.

We determine the number of satellite and central galaxies in each halo following a halo prescription based on that of Zheng et al. (2005) with a central galaxy probability of

$$N_{\text{cen}}(M_{\text{halo}}) = \frac{1}{2} \operatorname{erfc} \left[\frac{\ln(M_{\text{cut}}/M_{\text{halo}})}{\sqrt{2}\sigma} \right], \quad (12)$$

and an expected number of satellites equal to

$$N_{\text{sat}}(M_{\text{halo}}) = \left(\frac{M_{\text{halo}} - \kappa M_{\text{cut}}}{M_1} \right)^\alpha, \quad (13)$$

where M_{cut} , M_1 , σ , κ and α are the free parameters to be fit in our model, described in detail in Appendix A. Briefly, M_{cut} is a minimum mass for haloes to host our galaxies, M_1 is a typical mass for haloes to host one satellite, σ is the scatter between M_* and M_{halo} , κ allows the threshold mass for satellites and centrals to differ, and

¹ http://www.sdss3.org/dr9/data_access/vac.php under Large Scale Structure Galaxy Catalogs.

α is the mass dependence of the efficiency of galaxy formation. This halo prescription was created to reproduce the observed luminosity-dependent clustering and number densities from the SDSS main galaxy (Strauss et al. 2002) and LRG samples (Eisenstein et al. 2001). We assume that for a halo to contain satellites it must first contain a central, so we only assign satellites to haloes with a central galaxy. Thus, the total expected number of galaxies in a halo of mass M_{halo} is

$$\langle N_{\text{gal}}(M_{\text{halo}}) \rangle = \langle N_{\text{cen}}(M_{\text{halo}}) \rangle (1 + \langle N_{\text{sat}}(M_{\text{halo}}) \rangle). \quad (14)$$

We assign central galaxies to haloes when a uniform random deviate is less than the value of equation (12) for that halo. We then compute the number of satellites in each halo hosting a central by selecting a value from a Poisson distribution with $\lambda = N_{\text{sat}}$ as given by equation (13).

We assign central galaxies to the halo centre position and place satellites at the position of a randomly selected dark matter particle within the halo. This eliminates the common assumption of spherical NFW profiles (Navarro, Frenk & White 1996) and preserves the non-spherical halo shapes. In a study of how halo occupation assumptions affect galaxy clustering statistics, Zu et al. (2008) and van Daalen, Angulo & White (2012) both found that assuming spherical haloes could decrease the measured correlation function by up to ~ 10 – 20 per cent on scales below $r \lesssim 1 h^{-1}$ Mpc, compared to the clustering measured with the true halo shapes. They also reported a reduction in the correlation function on scales of a few h^{-1} Mpc if the haloes are not correctly aligned within the overall large-scale structure. By placing galaxies at the location of dark matter particles within each halo, we preserve both the halo shape and the overall halo alignment. An even better choice would be to place the galaxies at the locations of subhaloes, but our simulations do not have the resolution to track individual subhaloes. In either case, this method more correctly reproduces the one-halo/two-halo transition region of the correlation function (Cooray & Sheth 2002; Zehavi et al. 2004) than distributing galaxies via spherical NFW profiles.

See Appendix A for details on the physical motivations of these HOD parameters and examples of how they each affect both the shape of the HOD and the resulting correlation function.

3.3 Error estimates

We perform our fitting procedure below on the projected measurements (e.g. equation 9 and Fig. 5), without incorporating information about the galaxy peculiar velocity field. To estimate measurement errors, we must shift our mock catalogues from real into redshift space, place them on the sky and mask them with the geometry. In addition, we effectively double the number of available mock galaxy catalogues by flipping each simulation around one axis when generating the mock galaxy catalogue below, to double our effective number of simulation boxes from 20 to 40. The flip is chosen to minimize (NGC) or eliminate (SGC) overlap between the flipped and non-flipped versions of the box. The overlap in the NGC between the flipped and non-flipped boxes is less than 10 per cent, so there should be minimal signal in the covariance matrix due to this procedure. Since the geometry of our simulations is a cube, while the survey geometry is a much more complicated region defined by sectors on the sky (described at the end of Section 2, and represented graphically in Fig. 2) and a radial selection function (i.e. Fig. 3), we remap the periodic simulation cube into a rectangular parallelepiped via the method and code of Carlson & White (2010), and then restrict it to the on-sky mask (see Fig. 2).

The remapping procedure applies a shear transformation to the periodic simulation cube. Because the simulation box is periodic, we embed a new sheared box into the infinite tiling of periodic boxes and take the new catalogue to be the points at their new, sheared, positions. This transformation preserves the simulation volume and number density and contains each point once and only once (see fig. 2 in Carlson & White (2010) for a 2D graphical representation of this procedure). This remapping procedure requires that the box size of the simulations be large enough so that it preserves large-scale structure – an excessively thin sheared box will remap too many distant points to be in close neighbourhoods. Note that we also must rotate the galaxy velocities (described below) by a rotation matrix defined by the normalized basis vectors defining the new sheared box. This places the galaxy velocity vectors, originally in the coordinate system of the simulation cube, in the coordinate system of the remapped box.

We then embed the survey geometry into the remapped simulation box on the sky. We shift the origin of the coordinates of the simulation box so that its minimum (x, y, z) coordinate corresponds to the minimum (x, y, z) coordinate for the data (in the NGC and SGC separately), effectively placing the mock galaxy box on the sky in the same location as the galaxy data, but covering a larger area.

To convert our mock catalogues into redshift space, we must assign a peculiar velocity to each galaxy. Central galaxies are assigned the bulk velocity of their host haloes, which should produce a flattening of the correlation function along the line of sight due to large-scale motion (Kaiser 1987). For satellites, we assign the peculiar velocity of each galaxy's associated dark matter particle, as this includes both the bulk halo motion and the infall velocity. This should result in Fingers of God. As our simulation velocities are 'distance offsets' relative to the position coordinates, we can convert the real-space coordinates, r , into redshift-space coordinates, s , via

$$s = r + \hat{r} \cdot \mathbf{v}, \quad (15)$$

where \mathbf{v} is the galaxy velocity as given above and \hat{r} is the line-of-sight unit vector from the observer's coordinates $(0, 0, 0)$ to the galaxy. We then restrict the on-sky coordinates of the galaxies to the area described in Section 2.

To measure the correlation function on these redshift-space mocks, we use exactly the same binning as was used for the data, measuring either $\xi(s)$ directly, or $w_p(r_{\perp})$ by integrating equation (9). The error bars shown in Figs 5 and 8 and the covariance matrix used in the MCMC procedure and listed in Table 2 are computed from the standard deviation of the 20 mock galaxy correlation functions.

3.4 MCMC fitting

To determine the best-fitting HOD parameters, we use a Markov chain Monte Carlo (MCMC) method to fit $w_p(r_{\perp})$ and the overall galaxy number density, as measured from the BOSS data. In particular, we use the Metropolis–Hastings MCMC formalism (Metropolis et al. 1953; Hastings 1970), with errors on $w_p(r_{\perp})$ from the mock catalogues and assuming a fixed 15 per cent error on the galaxy density (see below for justification). This method starts with an initial seed set of values for the HOD parameters and then

- (i) computes a step in a direction determined from the covariance of the parameters (as discussed in Appendix A);
- (ii) populates the dark matter simulation with galaxies according to that HOD;

- (iii) computes $\xi(r)$ on the resulting mock galaxy catalogue;
- (iv) integrates $\xi(r)$ to obtain $w_p(r_\perp)$ via equation (10);
- (v) computes the χ^2 between the model and the data.

We accept the new HOD parameters with probability

$$P = \min(1, e^{-(\chi_{\text{new}}^2 - \chi_{\text{old}}^2)/2}). \quad (16)$$

We then iterate this procedure for at least 25 000 steps, thus filling out the most likely region of parameter space, which allows us to easily determine the most likely value and scatter of any statistic derived from the HOD parameters. For the first run of the MCMC procedure, we bootstrap with fixed 20 per cent errors on all correlation function points, and then use the error estimated from this fit in the following run. In each subsequent MCMC run, we use the errors on $w_p(r_\perp)$ estimated from the previous run (see Section 3.3 for how the error estimates are generated), and iterate this process until convergence, defined as the mean correlation function of two runs being the same within the 1σ errors. The fitted parameters converge after 3–4 MCMC runs, and the best-fitting and mean values, and estimated errors given in this paper, are taken from the final run.

Although the galaxy number density (Fig. 3) varies by $\gtrsim 30$ per cent across our redshift range, the mock-to-mock variance in galaxy number density is ~ 2 per cent. The survey is not volume limited, while the mocks are, by construction. In our MCMC fits, we chose a 15 per cent error on $\bar{N}(z)$ to allow for variation across the redshift range, while still restricting the MCMC code to values close to the mean of the survey. Through testing, we found that a tighter restriction, e.g. 5 per cent, prevents the chains from converging on a solution. A more complete mock catalogue generation process would assign luminosities and colours to the galaxies and observe them on the sky in the same manner that the data were observed, resulting in a mock catalogue with a redshift distribution closer to that of the data (e.g. the method of Skibba & Sheth 2009).

Because of variance between simulations, we perform our MCMC fitting on the ‘mean’ simulation, defined as follows. We compute the correlation function, $\langle \xi(r) \rangle$, of haloes with $M_{\text{halo}} > 10^{13} h^{-1} M_\odot$, and select the simulation with the smallest sum-of-squares difference from the mean of the 20 correlation functions. This ensures that our correlation function fitting procedure is not biased high or low due to a particular simulation box having particularly high or low inherent halo clustering. Restricting to high-mass haloes is a rough proxy for the haloes occupied by our galaxies, without any of the randomness involved in assigning centrals and satellites to haloes. An alternative to choosing the ‘mean’ simulation would be to perform the fitting procedure on all 20 simulations at once, but this is computationally prohibitive.

We fit the correlation function in the 12 radial bins given in Table 2, plus the average galaxy number densities given in Table 1. When combined with our five-parameter model, there are seven degrees of freedom for the χ^2 -test portion of the MCMC. Our mean HOD model has a χ^2 of 7.35 for the NGC and 5.73 for the SGC.

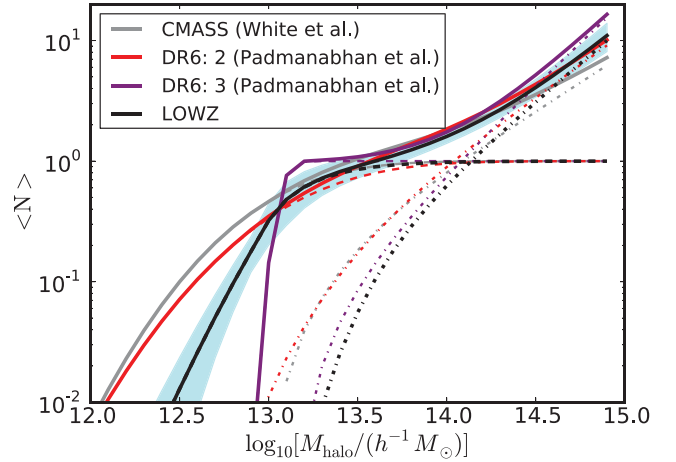


Figure 6. Halo occupation distributions (HODs) for LOWZ (NGC+SGC) and CMASS samples compared with HODs for two samples of LRGs with photometric redshifts from SDSS I/II (‘DR6: 2’ with a mean redshift of 0.326 and ‘DR6: 3’ with a mean redshift of 0.376). The dashed lines show the expected number of centrals, dash-dotted lines show expected number of satellites, and solid lines show the total number of galaxies as a function of halo mass. The shaded region shows the $\pm 1\sigma$ variation determined by our MCMC fitting procedure.

Our MCMC procedure produces the mean (calculated from all MCMC steps) and best-fitting (lowest single χ^2 during the MCMC procedure) parameters shown in Table 3. The parameter κ is poorly constrained, and although σ is also not strongly constrained, it is below the value for the CMASS sample (0.98 ± 0.24). We estimate our errors from the mean HOD parameters, not the best fit, as the single best-fitting value is partly determined by random variations in the mock correlation functions. Fig. 6 presents the mean number of galaxies per halo. We also show, for reference, the HOD determined for the CMASS sample of White et al. (2011), and two HODs selected from Padmanabhan et al. (2009) that represent galaxies with photometric redshifts in a similar redshift and mass range to those in our current sample. The LOWZ sample clearly lies between the Padmanabhan et al. (2009) samples 2 and 3, with a steeper cut-off for central galaxies than sample 2. The behaviour of the HOD at low halo masses is driven primarily by the amplitude of the correlation function; the relatively large measured clustering amplitude (compared with e.g. CMASS) agrees well with our steep cut-off in the average number of galaxies in low-mass haloes. Within the HOD framework, galaxies with a high bias must occupy high-mass haloes, resulting in a sharper turnoff in the central galaxy fraction. For a more detailed comparison with CMASS, see Section 5.

Our results suggest that 12 ± 2 per cent of NGC and 11 ± 2 per cent of SGC galaxies are satellite galaxies in their haloes instead of centrals. This is comparable with the ~ 10 per cent satellite fraction

Table 3. The mean and standard deviation of the HOD parameters (see equations 12 and 13).

Parameter	Mean Full	Mean NGC	Best-fitting NGC	Mean SGC	Best-fitting SGC
$\log_{10} M_{\text{cut}}/M_\odot$	13.25 ± 0.26	13.17 ± 0.14	13.16	13.09 ± 0.09	13.11
$\log_{10} M_1/M_\odot$	14.18 ± 0.39	14.06 ± 0.07	14.11	14.05 ± 0.09	14.07
σ	0.70 ± 0.40	0.65 ± 0.27	0.741	0.53 ± 0.28	0.692
κ	1.04 ± 0.71	1.46 ± 0.44	0.921	1.74 ± 0.74	1.26
α	0.94 ± 0.49	1.18 ± 0.18	1.38	1.31 ± 0.19	1.31

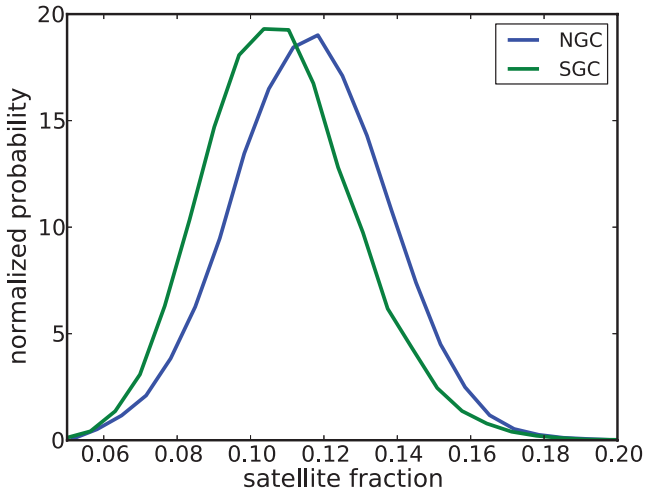


Figure 7. Probability distribution (normalized to have an integral of 1) of satellite fractions for NGC and SGC.

measured by White et al. (2011) for the higher redshift CMASS sample. We show the probability distribution function (PDF) of satellite fraction in Fig. 7. There is considerable overlap between the NGC and SGC satellite fraction PDFs, and we find these results to be statistically indistinguishable.

4 REDSHIFT SPACE

As a test of our HOD fits, we compute the redshift-space correlation function for the data, and for our mean HOD parameters. As our HOD fitting procedure does not incorporate any information about the velocity distribution of the galaxy sample, this approach provides a convenient check of our results.

Fig. 8 shows the redshift-space correlation function, $\xi(s)$. We also plot the same power law from Fig. 5 and the mean redshift-

space mock catalogues for comparison. The effects of redshift-space distortions are clear here, with a decrease in the correlation function amplitude at small scales, and an increase at larger scales.

The mocks in this case were not fitted to the data, but rather were computed using the HOD parameters that were fitted to the $w_p(r_\perp)$ measurements. The differences between the data $\xi(s)$ and mock $\xi(s)$ could be due to our requirement that every halo with satellites must have a central: the lower luminosity galaxies in our sample may be satellites in haloes that do not have a LOWZ galaxy as their central. The difference may also reflect deviations from our assumption that the galaxies strictly follow the motion of individual dark matter particles, as opposed to the subhaloes that they truly do occupy. Further work could expand on this issue by, for example, making different assumptions about satellites and centrals, selecting subsets of LOWZ galaxies with different colours and luminosities, or having the galaxies follow proper subhaloes instead of individual dark matter particles (see e.g. Seljak 2001; White 2001; Scoccimarro 2004; Skibba et al. 2006; Tinker, Weinberg & Zheng 2006).

5 COMPARISON WITH PREVIOUS WORK

Fig. 9 shows a different view on the halo occupation of these galaxies: the probability that a galaxy lies in a halo of mass M . We compute the mean halo mass to be $5.2 \times 10^{13} h^{-1} M_\odot$ for the LOWZ sample. This figure clearly shows the sharper halo occupation cut-off at low halo masses, compared with the CMASS sample, which had a mean halo mass roughly half as large. This difference is likely due to the fact that our galaxies are redder than CMASS (Fig. 1), and thus would tend to occupy higher mass haloes (see e.g. Skibba et al. 2009). In addition, a galaxy population undergoing dynamical passive evolution would occupy higher mass haloes with cosmic time, as their original host haloes merge to form more massive haloes. This is consistent with the fact that there is little difference between the LOWZ and CMASS stellar masses (Fig. 1): these galaxies have undergone considerable halo growth, but little

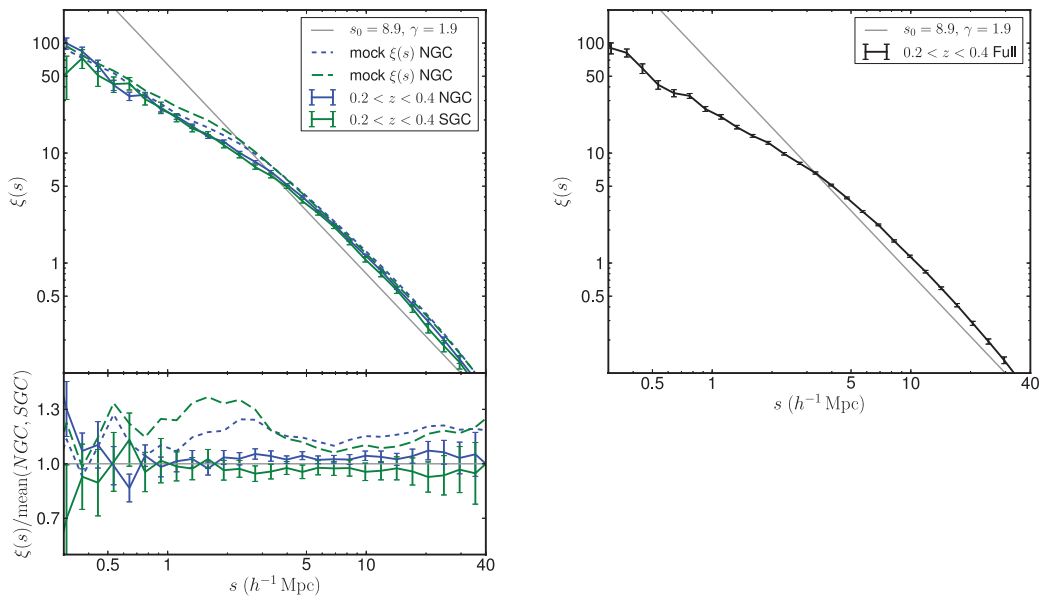


Figure 8. Left: NGC and SGC, data and mocks. Right: NGC+SGC Full sample. Upper panels: the redshift-space correlation function for BOSS LOWZ galaxies with redshifts in the range of $0.2 < z < 0.4$. The thin line shows the same best-fitting power law from Fig. 5 with $s_0 = 8.9$, $\gamma = 1.9$. The dashed lines show the mean of the 20 mock catalogues generated from our simulations, using the mean HOD parameters given in Table 3. Lower panels: the same curves as above, but divided by the mean of the NGC and SGC to emphasize the differences between the various correlation functions. The thin solid line at $\xi(s)/\text{mean(NGC,SGC)} = 1$ is not the power law from the upper panel, but is just shown for reference.

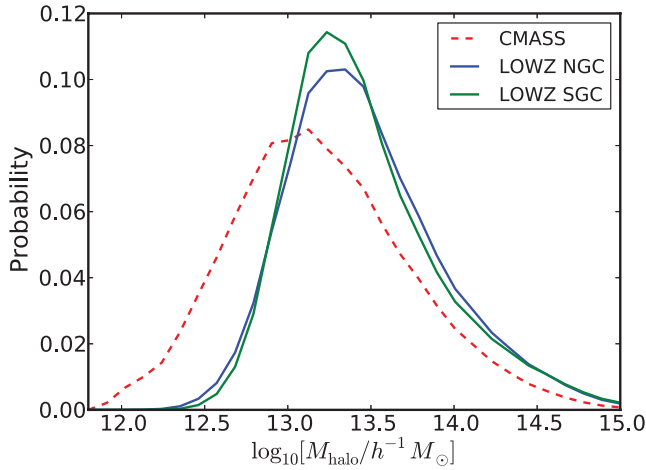


Figure 9. The probability that a galaxy lies in a halo of a given mass, comparing CMASS and the NGC and SGC LOWZ sample. Because the HOD for LOWZ galaxies is more sharply truncated than the CMASS HOD, LOWZ galaxies do not probe haloes with masses as small as the those of the CMASS sample.

to no stellar mass growth since $z \sim 0.5$ (see also White et al. 2007; Brown et al. 2008; Wake et al. 2008).

Based on our halo fitting, we can estimate the bias of this galaxy population with respect to the underlying dark matter distribution:

$$b(r) = \sqrt{\frac{\xi_{\text{gal}}(r)}{\xi_{\text{DM}}(r)}},$$

where $\xi_{\text{gal}}(r)$ is the correlation function of the mean galaxy mock (see Table 3), and $\xi_{\text{DM}}(r)$ is the correlation function of dark matter in our simulations. We find a large-scale galaxy bias of ~ 2.0 and show the scale dependence of the bias in Fig. 10. The dot-dashed blue line shows the bias relative to the linear theory correlation function from CAMB (Lewis, Challinor & Lasenby 2000; Howlett et al.

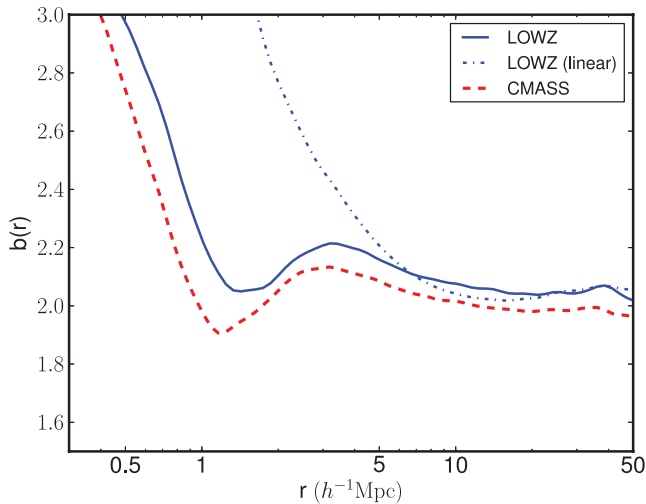


Figure 10. The scale dependence of the galaxy bias, $b = \sqrt{\xi_{\text{gal}}/\xi_{\text{DM}}}$, for the LOWZ sample. The large-scale bias asymptotes to ~ 2.0 . The strong increase towards scales below $1 h^{-1} \text{Mpc}$ appears because of the strong clustering of galaxies within haloes, while the bump at the few $h^{-1} \text{Mpc}$ scale is due to one-halo/two-halo transition. The dashed red line shows the galaxy bias of the CMASS sample of White et al. (2011), while the dot-dashed blue line shows the LOWZ galaxy bias relative to the linear theory ξ_{DM} computed with CAMB.

2012), using the same cosmological parameters as our simulations. The linear bias differs from the non-linear bias on small scales but is similar on large scales, as expected. We find a similar bias to that reported for the CMASS sample of White et al. (2011) (dashed red line).

The measured bias of the full CMASS and LOWZ samples is inconsistent with pure dynamical passive evolution of CMASS into LOWZ. In a dynamical passive evolution model in our cosmology, the bias of a galaxy population evolves like

$$b(z_0 \rightarrow z) = (b_{z_0} - 1) \frac{D(z_0)}{D(z)} + 1 \quad (17)$$

(Fry 1996). Thus, a bias of 2 at $z = 0.55$ should evolve to 1.88 at $z = 0.3$. Equivalently, the $z = 0.55$ progenitors of a galaxy population with $b(z = 0.3) = 2$ should have $b(z = 0.55) = 2.13$. Tojeiro et al. (2012) suggest that the progenitors of SDSS II LRGs are preferentially located in the redder parts of the colour/luminosity selection space. Together, this suggests that the LOWZ sample could have passively evolved from a redder, slightly more biased subset of the CMASS sample. Further work fitting HODs at high redshift and evolving them to low redshift (e.g. Zheng, Coil & Zehavi 2007; White et al. 2007; Wake et al. 2008) as well as selecting subsets of the CMASS sample that may be more representative of the LOWZ progenitors could clarify this issue.

Zehavi et al. (2005b) and Zheng et al. (2007) studied 200 000 galaxies from the SDSS I/II main sample in the redshift range $0.01 < z < 0.23$, with the latter using the same correlation function measurements but a more complicated form for the HOD. Their samples were all less luminous than the LOWZ sample, with the most luminous sample having $-23 < M_r < -22$ and $0.1 < z < 0.23$. They found a large-scale bias factor of 1.91 for the most luminous sample, with the other samples having smaller bias. They also measured the mean halo mass to be higher for fainter red galaxies $\sim 2 \times 10^{14} h^{-1} M_\odot$ than for those of intermediate luminosities $\sim 1 \times 10^{14} h^{-1} M_\odot$. Both of these mean that halo masses are significantly higher than the mean halo mass we find for LOWZ galaxies. Zheng et al. (2007) also added clustering measurements from 30 000 DEEP2 galaxies in the redshift range $0.7 < z < 1.45$. The bias of this sample ranged from 1.22 to 1.45 for the lower ($M_B < -19.0$) and higher luminosity ($M_B < -20.5$) samples, respectively. They found satellite fractions for the luminous SDSS and DEEP2 samples (both ~ 10 per cent) similar to our LOWZ results. The results of Zheng et al. (2007) were updated in Zehavi et al. (2011), incorporating the completed SDSS I/II main sample galaxy catalogue. Their two most luminous samples, with $M_r^{\text{max}} > -22.0$ ($z < 0.245$, $\bar{N} = 0.5 \times 10^{-4} h^3 \text{Mpc}^{-3}$) and $M_r^{\text{max}} > -21.5$ ($z < 0.199$, $\bar{N} = 2.8 \times 10^{-4} h^3 \text{Mpc}^{-3}$), were the most similar to LOWZ, having $b = 2.16 \pm 0.05$, $f_{\text{sat}} = 4 \pm 1$ per cent and $b = 1.67 \pm 0.03$, $f_{\text{sat}} = 9 \pm 1$ per cent, respectively.

Zheng et al. (2009) used the correlation function measurements of Zehavi et al. (2005a) to explore the host haloes of 35 000 luminous red galaxies from the SDSS, with two samples covering $0.16 < z < 0.36$ and $-23.2 < M_{g,z=0.3} < -21.2$, and $0.16 < z < 0.44$ and $-23.2 < M_{g,z=0.3} < -21.8$. Their $M_{r,z=0.3} < -21.8$ sample has a higher mean halo mass ($\sim 10^{14} h^{-1} M_\odot$) compared to LOWZ, while their $M_{r,z=0.3} < -21.2$ has a very similar mean halo mass ($\sim 4.5 \times 10^{13} h^{-1} M_\odot$). Both of these samples have lower satellite fractions (~ 6 and ~ 3 per cent, respectively) than our LOWZ sample. A major difference between these samples and the LOWZ sample is their three times lower number density of $\sim 10^{-4} h^3 \text{Mpc}^{-3}$, which would impact both the satellite fraction and halo masses.

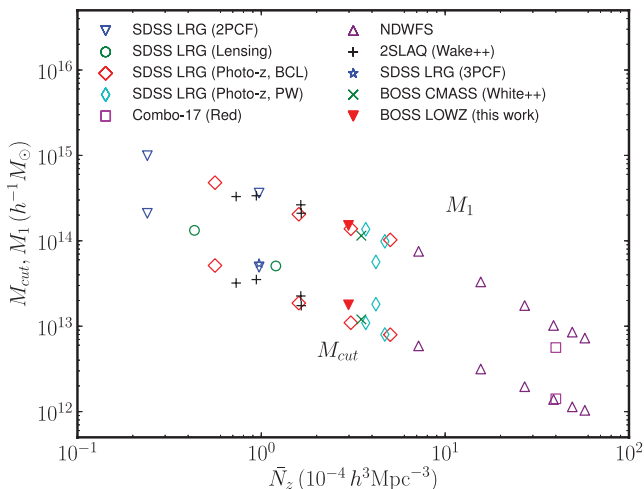


Figure 11. M_{cut} and M_1 versus \bar{N}_z for a number of different galaxy correlation function studies. Error bars, not shown for clarity, are typically ~ 0.1 dex. The labels refer to the following studies – SDSS LRG (2PCF): Zheng et al. (2009); SDSS LRG (Lensing): Mandelbaum et al. (2006); SDSS LRG (photo-z, BCL): Blake, Collister & Lahav (2008); SDSS LRG (photo-z, PW): Padmanabhan et al. (2009); Combo-17 (red): Phleps et al. (2006); NDWFS: Brown et al. (2008); 2SLAQ (Wake++): Wake et al. (2008); SDSS LRG (3PCF): Kulkarni et al. (2007); and BOSS CMASS (White++): White et al. (2011). The data in this plot are provided in in Table A1.

Wake et al. (2008) fit HOD parameters to colour and luminosity matched SDSS and 2SLAQ (2dF-SDSS LRG and QSO; Cannon et al. 2006) LRGs. They created four matched samples by selecting SDSS galaxies with the 2SLAQ colour and magnitude cuts, and 2SLAQ galaxies with the SDSS colour and magnitude cuts, resulting in two samples at low redshift ($z \sim 0.2$) and two at high redshift ($z \sim 0.55$). They found that the low-redshift samples had higher mean halo masses than LOWZ (9.52×10^{13} and $7.62 \times 10^{13} h^{-1} M_\odot$), but similar satellite fractions of around 10 per cent. On the other hand, their high-redshift samples had lower satellite fractions (4.7 and 6.2 per cent), but more similar mean halo masses (6.24×10^{13} and $4.76 \times 10^{13} h^{-1} M_\odot$). All of their samples had between 1.5 and 4 times lower number density than the LOWZ sample, ranging from 0.73 to $1.65 \times 10^{-4} h^3 \text{Mpc}^{-3}$.

Fig. 11 compares our measurements of HOD parameters M_{cut} and M_1 versus galaxy number density, \bar{N}_z , with other studies from the literature. The HOD parameter estimates shown in this plot are taken from studies covering a range of redshifts, sample selection, spectroscopic and photometric catalogues, measurement techniques, HOD fitting methods and survey volumes. Our results fit with the general trend of M_{cut} and M_1 decreasing for higher \bar{N}_z . The compilation of different data sets was used in Brown et al. (2008), White et al. (2011) and Nuza et al. (2012). This result is consistent with the observation that galaxy number density is a rough proxy for the survey’s luminosity or stellar mass limit (e.g. Tinker et al. 2005; Zheng et al. 2005; Zehavi et al. 2011). For future reference, this data are also compiled in Table A1.

6 CONCLUSIONS

We have described the clustering properties of $\sim 80\,000$ BOSS LOWZ galaxies from the SDSS DR9 sample. Our measurements, fitting procedure and mock catalogues provide the following properties of this sample.

(i) When working with the LOWZ catalogue, we recommend that approximately the first year’s data should not be included in uniform samples because it was acquired with a shallower selection function. We give a description of how to restrict the sample to the correct targets. We incorporate data from SDSS Legacy to provide about one-third of our redshifts, and provide a description of how to include these data when generating large-scale structure catalogues.

(ii) The clustering of the NGC and SGC samples differs by less than 1σ , even though the south has a ~ 10 per cent higher number density because of variations in photometry. We present correlation function and fitted parameter values for the Full NGC+SGC sample and for both the NGC and SGC separately.

(iii) The LOWZ sample has a higher correlation function amplitude ($r_0 \sim 8.9$), but a similar bias ($b \sim 2.0$) compared to the higher redshift CMASS sample.

(iv) The best-fitting and mean HOD both result in a higher average host halo mass ($5.2 \times 10^{13} h^{-1} M_\odot$) and steeper mass cut-off for the LOWZ sample compared to the CMASS sample, but well within the range of similar photometric galaxy samples from SDSS I/II.

(v) Our HOD fits result in a satellite fraction of ~ 11 per cent for the LOWZ sample.

(vi) The LOWZ sample is broadly consistent with being passively evolved analogs of a subset of the higher redshift CMASS sample.

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APPENDIX A: HOD PARAMETERS

The central galaxy occupation function in equation (12) allows for a log-normal scatter between galaxy luminosity and halo mass with logarithmic dispersion σ , so that the occupation of central galaxies rises smoothly from zero to one. The satellite occupation function of equation (13) is a power law of slope α smoothly truncated at low halo masses, normalized by the mass M_1 at which haloes have approximately one satellite on average. The parameter κ allows different cut-offs in the central and satellite occupations, and it ensures that the normalization of the satellite occupation is not driven artificially by the behaviour of low-occupation haloes. Occupation functions of this form provide a good fit to the theoretically predicted occupations of galaxy samples limited by stellar mass or luminosity (Kravtsov et al. 2004; Zheng et al. 2005). Our choice of HOD represents a step function with a lower mass threshold for the number of centrals (equation 12), smoothed out and increasing slowly to a probability of 1 over some range (the complementary error function). Similarly, as we expect the number of satellites (equation 13) to increase at high halo mass, we assume a power law for the number of satellites, with a minimum mass cut-off (κM_{cut}) to prevent small haloes from having satellites. Because of the colour selection and the modest dependence of luminosity threshold on redshift in the BOSS LOWZ sample, we may expect the dispersion σ to be somewhat larger than it would be for a sharply thresholded sample. See e.g. Berlind & Weinberg (2002), Hamana et al. (2004), Zehavi et al. (2005a), Zheng et al. (2005), Zheng et al. (2007) and Wake et al. (2008) for other choices of HOD parametrization, some of which are analogous to ours.

Table A1. M_{cut} and M_1 versus \tilde{N}_z from various studies

\tilde{N}_z	$\log_{10} M_{\text{cut}}$	$\log_{10}(M_1)$	Sample
9.730E-5	13.6907	14.5587	0
2.400E-5	14.3217	14.9967	0
1.200E-4	13.7055	0.0000	1
4.330E-5	14.1224	0.0000	1
9.730E-5	13.7328	0.0000	7
9.400E-5	13.5464	14.5278	6
1.640E-4	13.3540	14.4215	6
5.753E-3	12.0150	12.8610	5
4.916E-3	12.0560	12.9310	5
3.888E-3	12.1420	13.0090	5
2.708E-3	12.2920	13.2420	5
1.562E-3	12.4990	13.5190	5
7.171E-4	12.7700	13.8770	5
5.030E-4	12.9008	14.0108	2
3.070E-4	13.0408	14.1408	2
1.600E-4	13.2708	14.3108	2
5.600E-5	13.7108	14.6808	2
3.700E-4	13.0390	14.1350	3
4.700E-4	12.9029	13.9942	3
4.200E-4	13.2578	13.7528	3
7.300E-5	13.5057	14.5182	6
1.650E-4	13.2408	14.3228	6
4.000E-3	12.1500	12.7500	4
3.500E-4	13.0800	14.0600	8
2.981E-4	13.2500	14.1800	9

Sample numbers refer to the following works: 0 – SDSS LRG (2PCF), Zheng et al. (2009); 1 – SDSS LRG (lensing), Mandelbaum et al. (2006); 2 – SDSS LRG (photo-z, BCL), Blake et al. (2008); 3 – SDSS LRG (photo-z, PW), Padmanabhan et al. (2009); 4 – Combo-17 (red), Phleps et al. (2006); 5 – NDWFS, Brown et al. (2008); 6 – 2SLAQ (Wake++), Wake et al. (2008); 7 – SDSS LRG (3PCF), Kulkarni et al. (2007); 8 – BOSS CMASS (White++), White et al. (2011); 9 – this work.

As a rough guideline, the parameters affect the resulting HOD, and thus the correlation function in the following ways. M_{cut} determines the characteristic minimum mass of haloes in which a galaxy is allowed, and thus affects the overall amplitude of the correlation function, with smaller values of M_{cut} resulting in a lower amplitude. The quantity σ changes the shape of the ‘central galaxy probability function’, with smaller σ resulting in fewer galaxies populating lower mass haloes with lower large-scale bias, and thus a higher correlation function amplitude on large scales. M_1 affects the number of satellites, with smaller M_1 producing more satellites, and thus a higher amplitude for the correlation function overall, and a steeper slope at small radii. Increasing α increases the number of satellites, adding power on small scales, and affecting the one-halo/two-halo transition. Varying κ has a small effect, tuning the mass at which satellites are allowed and slightly altering the small-scale correlation function. These parameters have some degeneracy, with σ and M_{cut} , and α and M_1 positively correlated, and M_1 and M_{cut} negatively correlated; we find little dependence on κ within the range we sample, $0 < \kappa < 3$. Other studies that explore the relation of the HOD parameters with the resulting correlation function include Berlind & Weinberg (2002), Zheng et al. (2009) and Watson, Berlind & Zentner (2011).

Fig. A1 shows how the correlation function, $w_p(r_p)$, and the satellite and central halo functions vary as each individual HOD parameter is changed over a range of reasonable values. Each panel includes one set of curves with the values $M_1 = 13.00$, $M_{\text{cut}} = 14.00$, $\sigma = 1.00$, $\kappa = 1.00$ and $\alpha = 1.00$ as a fiducial. The degeneracies in the correlation functions between the parameters are visible, as well as the effects that each has on the shape and amplitude of the resulting correlation function.

The values of M_{cut} and M_1 from previous studies used in Fig. 11 are given in Table A1.

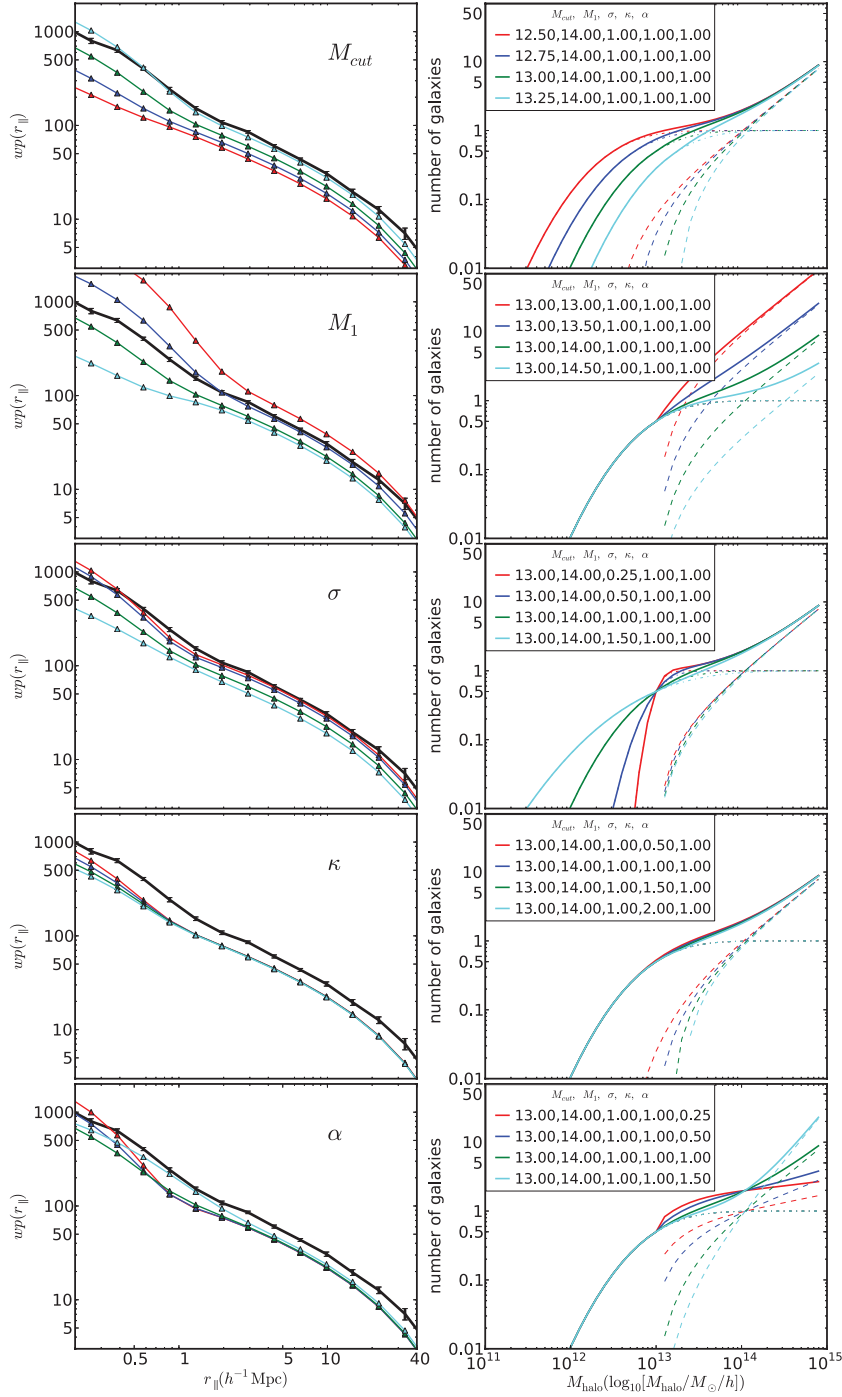


Figure A1. Variation of the correlation function and HOD as individual HOD parameters change. From the top panel to the bottom panel, the parameters that are varied are M_1 , M_{cut} , σ , κ and α . The thick black line is the NGC correlation function described in this paper.

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